

this controlled experiments;
time: observational studies

STAT 7
17 Oct 19

next time: probability

read: DD(A) ①
ch. 1-3; (B) ch. 1-7

today LN (69) →

hwk 1 due @ canvas to moww night;
quiz 2 ————— Sat night

start working on hwk 2 now: R-32
→ R-34 please

R-41 read now; read at end of class

independent variable
X (supposedly causal factor):

psychological environment

dependent: response
Y (outcome variable):

brain anatomy

context weight

X → Y does X cause Y?

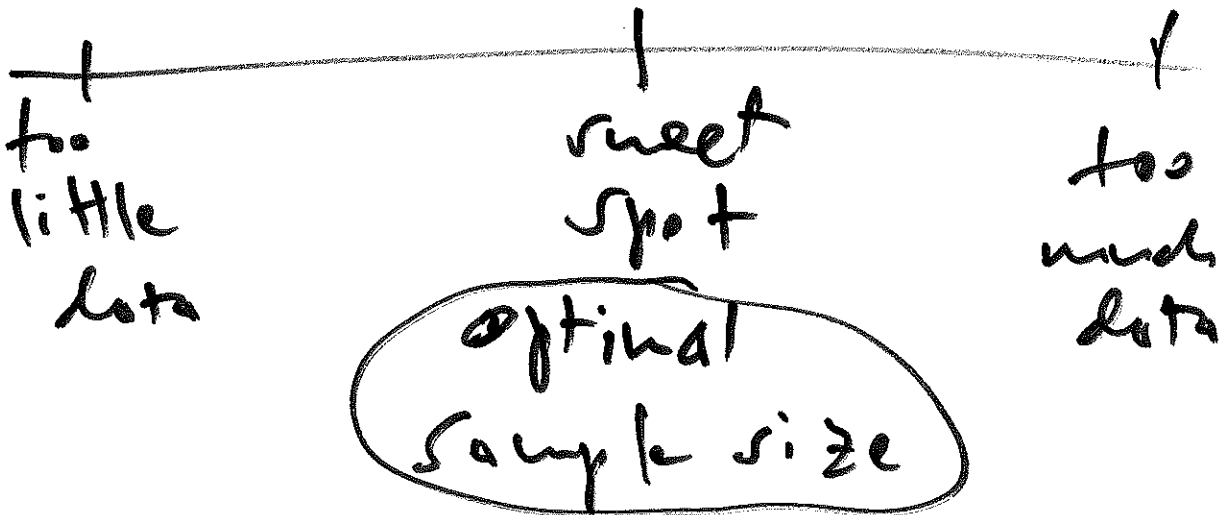
subjects: ^{male} rats
n

sample size
determination

intuition

to decrease your uncertainty

about something of interest to
you, get more ^{good} information (data)
(i.e., make n ↑) ⁿ unbiased $n = 120$



$$\bar{y}_T = 683 \text{ mg}$$

$$\bar{y}_C = 647 \text{ mg}$$

difference

$$(\bar{y}_T - \bar{y}_C) = +36 \text{ mg}$$

Q₁ is this difference large in (real-world) practical (biological) terms?

↔ is this dif. practically significant?

Q₂ is this difference large in statistical terms? ↔

is this dif. statistically significant?

A₁ ask an expert

(A)
approx.

$$\frac{\bar{y}_T - \bar{y}_c}{\bar{y}_c} = \frac{683 \cancel{\mu\text{g}} - 647 \cancel{\mu\text{g}}}{647 \cancel{\mu\text{g}}}$$

$$= \frac{+36}{647} \approx 5.6\%$$

the enriched rats had cortex weights

that were 5.6% heavier on average than deprived rats

no universal rule of form

if rel diff > blah %
then processing is context-specific

k neurons $\rightarrow \frac{k(k-1)}{2}$ possible synapses (5)

5.6% weight $\rightarrow (5.6\%)^2$ increase
in synapses = 28%

big in biological terms
(\therefore practical)
therefore

Q/ how assign rats

to T, C?

goal:

try to

make groups as similar

as possible in all relevant

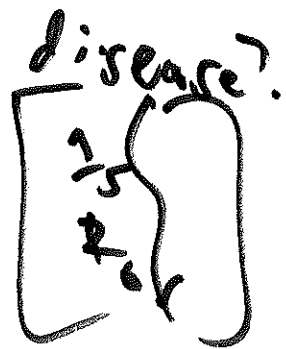
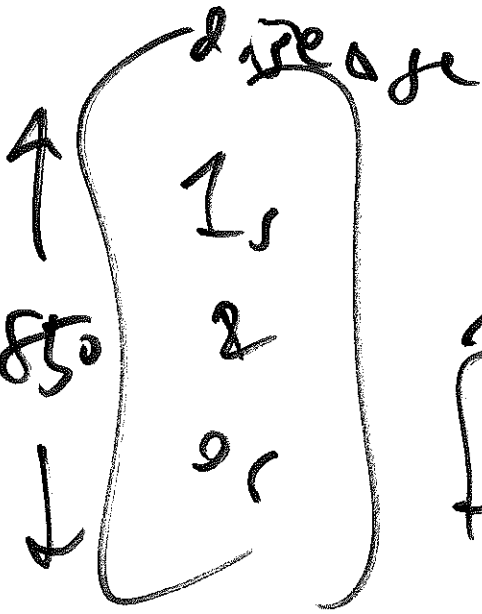
ways, except for T/C

distinction

simplest method: assign T/C at random

pop
of us
near

sample



1 = disease
0 = not
n = 100

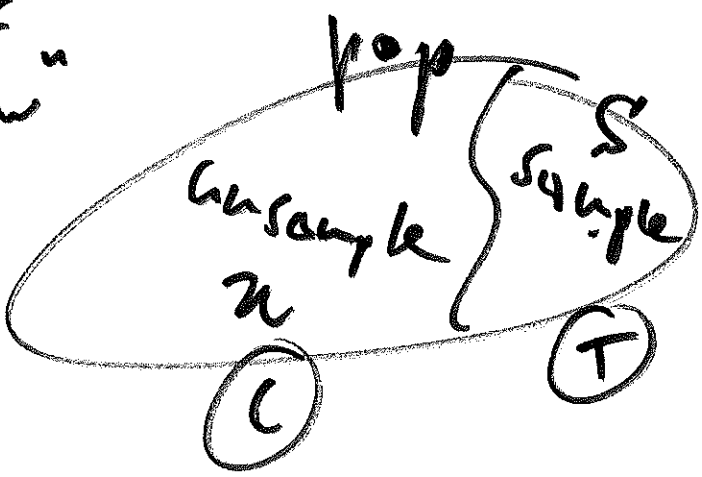


mean $\bar{y} = 1\%$

mean $\mu = ?$

greek
"mu"

use \bar{y}
as a good
estimate of μ



Controlled
experiment

(+) randomization
to (T), (C) +

RCT

randomized controlled

experiment
trial

bias : systematic tendency
to over- or under-estimate

with

$$I = \text{treatment}$$
$$= \begin{cases} 1 & \text{if } \textcircled{T} \\ 0 & \text{if } \textcircled{C} \end{cases}$$

$Z = \text{context}$
 wt (mg)

$Z_1 = \text{genetics } (Z)$

potential confounding factor

PCF

enemy:

RCT is

valid : no bias

bias from PCFs

placebo = same as (T) but ^②
without active ingredient

double
blind RCT (Rolls
Royce) placebo
effect