

RANDOMIZED CONTROLLED TRIALS, PRACTICAL SIGNIFICANCE BIAS,  
PLACEBO, BINDING (10/17/19)

Read: DD (A)  
chpt 1-3; (B) ch 1-7

Today:  
LN-69

Start working on HW 2 now : R=32  
R=34

R=41 read new; read at the end of class

independent variable

$\bar{X}$  (supposedly causal factor): psychological environment

dependent response

$\bar{Y}$  (outcome variable): cortex weight  
brain anatomy

$\bar{X} \xrightarrow{?} \bar{Y}$  does  $\bar{X}$  cause  $\bar{Y}$ ?

model =  $(\bar{Y} - \bar{Y}_0)$

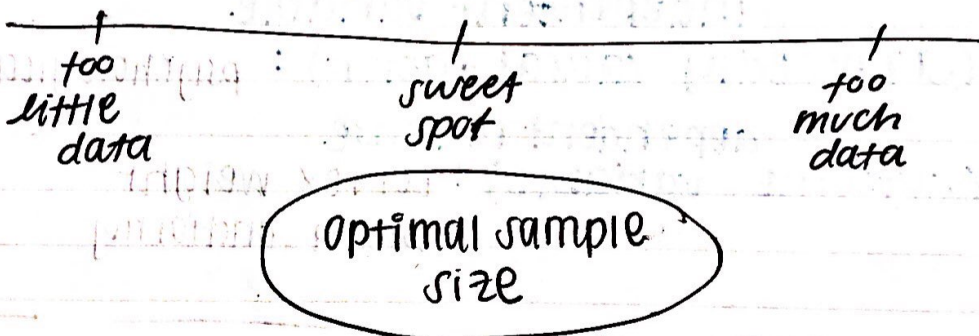
process =  $\bar{Y}$   
pmf =  $\bar{Y}$

subjects: male rats      sample size  $(n)$   
determination

Intuition } to decrease your uncertainty about something of interest to you, get more information (data)  
(i.e. make  $n \uparrow$ )

good = unbiased

$n = 120$



$$\bar{y}_T = 683 \text{ mg}$$

$$\bar{y}_C = 647 \text{ mg}$$

difference

$$(\bar{y}_T - \bar{y}_C) = +36 \text{ mg}$$

Q<sub>1</sub>: Is ~~this~~ this difference large in (real-world) practical (biological) terms?

Is this diff practically significant?

Ⓐ ask on best expert

Q<sub>2</sub>: Is this difference large in statistical terms?  
Is this difference statistically significant?

A<sub>1</sub>  
approx

$$\frac{\bar{y}_T - \bar{y}_C}{\bar{y}_C} = \frac{683 \text{ mg} - 647 \text{ mg}}{647 \text{ mg}} = \frac{+36}{647} = 5.6\%$$

The enriched rats had cortex weights that were 5.6% heavier on average than deprived rats

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no universal rule of form

if rel diff > blah%  
then practsig

answer is context-specific

K neurons  $\rightarrow \frac{K(K-1)}{2}$  possible synapses

5.6% weight  $\rightarrow (5.6\%)^2$  increase in synapses  
= 28%

↑ big in biological terms  
(∴ practsig)

∴ means therefore

Q: How assign rats to (T), (C)?

**Goal**: try to make groups as similar as possible in all relevant ways, except for (T)/(C) distinction

**simplest method**: assign T/C at random

population  
all UCSC deer  
disease

sample

$\bar{\mu}$   
850  
 $\downarrow$   
 $\begin{bmatrix} 15 \\ 2 \\ 96 \end{bmatrix}$

now choose?  
at random

disease?  
 $\begin{bmatrix} \{ \} \end{bmatrix}$

1 = disease  
0 = not  
 $n = 100$

mean  $\mu = ?$   
greek  
"new"

mean  $\bar{y} = 1\%$

use  $\bar{y}$  as a good  
estimate of  $\mu$

pop  
unsampled  $\int$  sample  
 $n$   
(C) (T)

controlled experiment  
(+) randomization to (T), (C) + randomized controlled  
experiment trial

BIAS: systematic tendency to over- or under estimate truth

$$\bar{x} = \text{treatment} \\ = \begin{cases} 1 & \text{if } \textcircled{T} \\ 0 & \text{if } \textcircled{C} \end{cases}$$

$$\bar{y} = \text{cortex} \\ (\text{mg})$$

$z_1 = \text{genetics } (z)$   
↑  
potential confounding factor

PCF

← enemy: bias from PCFs

RCT is valid: no bias

Placebo: some as  $\textcircled{T}$  but w/o active ingredient

double  
blind

RCT (ROLLS ROYCE)

Placebo  
Effect